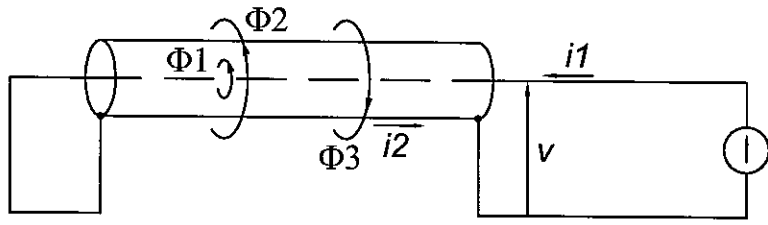


Fig. 1



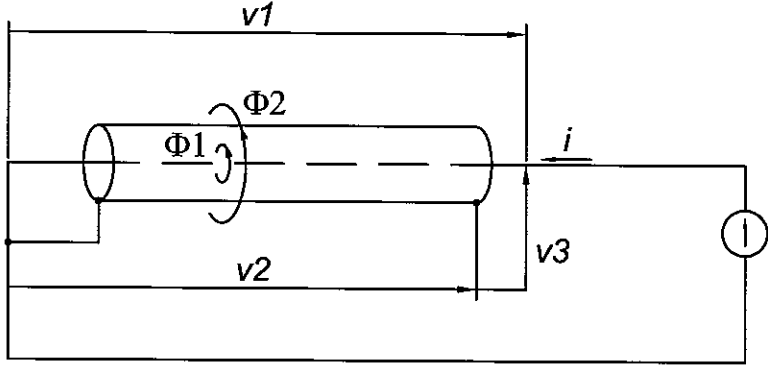
Since $i_1 = i_2$ with opposite direction, induced magnetic flux also $\Phi_2 = \Phi_3$ with opposite direction. Thus Φ_2 and Φ_3 will cancel out the magnetic flux external to the shield. This results only the flux internal to the shield Φ_1 will link to the circuit.

Thus, $v = d\Phi_1 / dt$ and $L = \Phi_1 / i_1$ or $\Phi_1 = L \cdot i_1$

$$v = d(L \cdot i_1) / dt = L (di_1 / dt)$$

Therefore, $L = v (dt / di_1)$

Fig. 2



Interestingly, this wiring in Fig.2 will give us the same result as Fig.1, even there is no current in the shield.

$$v_1 = (d\Phi_1 + d\Phi_2) / dt = d\Phi_1 / dt + d\Phi_2 / dt$$

$$v_2 = d\Phi_2 / dt$$

Therefore,
 $v_3 = v_1 - v_2 = d\Phi_1 / dt + d\Phi_2 / dt - d\Phi_2 / dt = d\Phi_1 / dt$
 $L = v_3 (dt / di)$

Also
 $v_3 = L \cdot (di / dt)$ and $L = \Phi_1 / i$

NO	Q'TY	ITEM	REFERENCE
DESIGNED BY	CHECKED BY	APPROVED BY	FILE NAME
AS	AS	N/A	CoaxInduct1
			DATE
			13 DEC 02
			SCALE
			N/A
N/A		TITLE	
		INDUCTANCE & FLUX ON COAXIAL CABLE	
		DWG. NO.	REV
		COAXINDUCT1	0
		SHT	1
		CONT SHT	